



#### Infrared Spectroscopy of Solids at the NSLS

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#### **Outline**

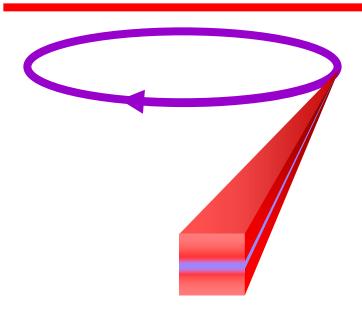


- Measurements in the very far IR
  - mm waves, terahertz
  - Physics opportunities
  - Needed technology
- Nonlinear far-IR spectroscopy
  - Time-resolved (pump-probe)
    - Metallic superconductors
    - Magnetic semiconductors
  - High E-field-strength opportunities

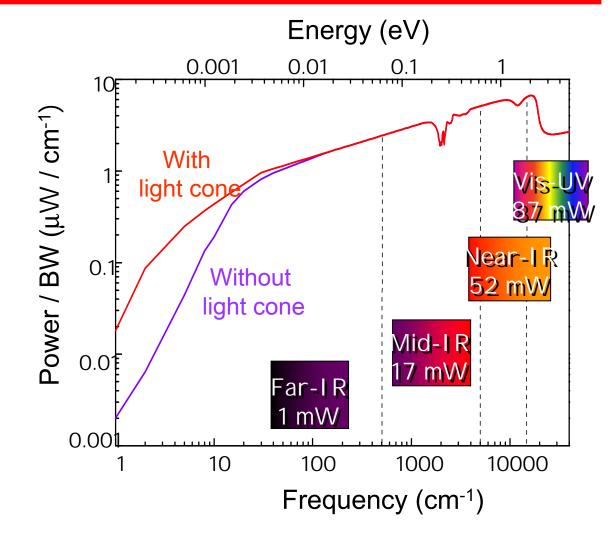


# **Infrared Synchrotron Radiation**





- "White" source
- High Brightness
- Long wavelength flux (the far-infrared)
- Pulsed (100s of ps)





# Physics in the far-IR



#### Important physics ("All of solid-state physics..." A.J. Heeger

- Superconducting gaps
- Antiferromagnetic and ferromagnetic resonance
- Collective modes
- Free-carrier dynamics

#### **Materials**

- Quasiparticles in HTSC
- Gaps in LTSC
- Heavy Fermions
- CDW (TaSe<sub>2</sub>)
- Organics (TMTSF<sub>2</sub>-X, BEDT-TTF<sub>2</sub>-X) (CDW, SDW, SC)
- Dilute magnetic semiconductors

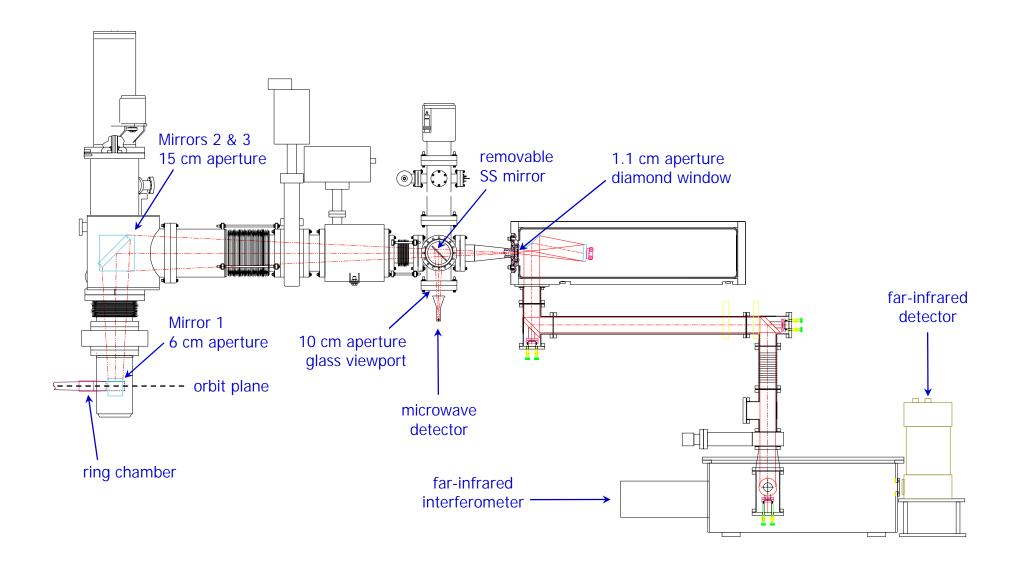
#### Spectroscopically difficult

- Weak thermal sources for FTIR
- High frequencies for microwave sources
- THz generators not mature, limited in bandwidth
- Synchrotron sources, therefore, have advantages.





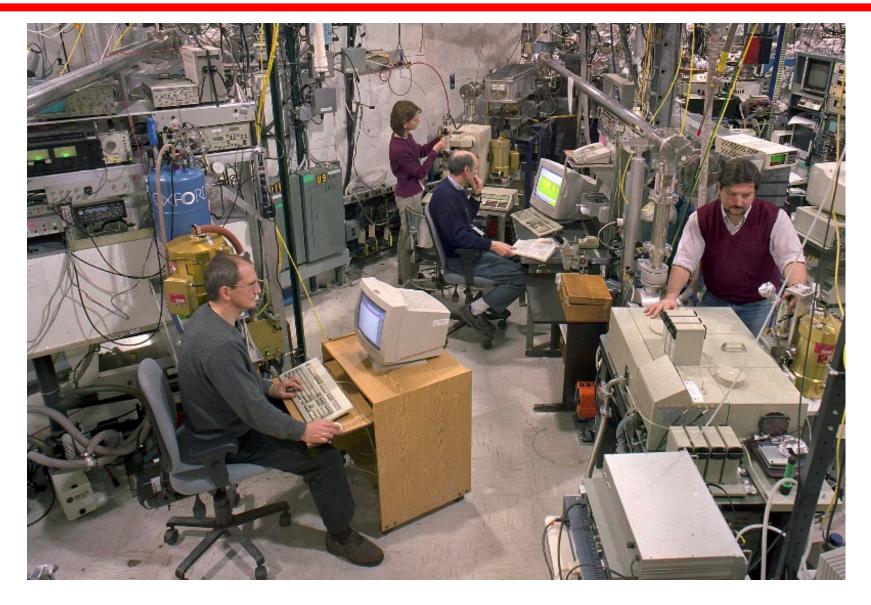






# **Typtical Beamlines**

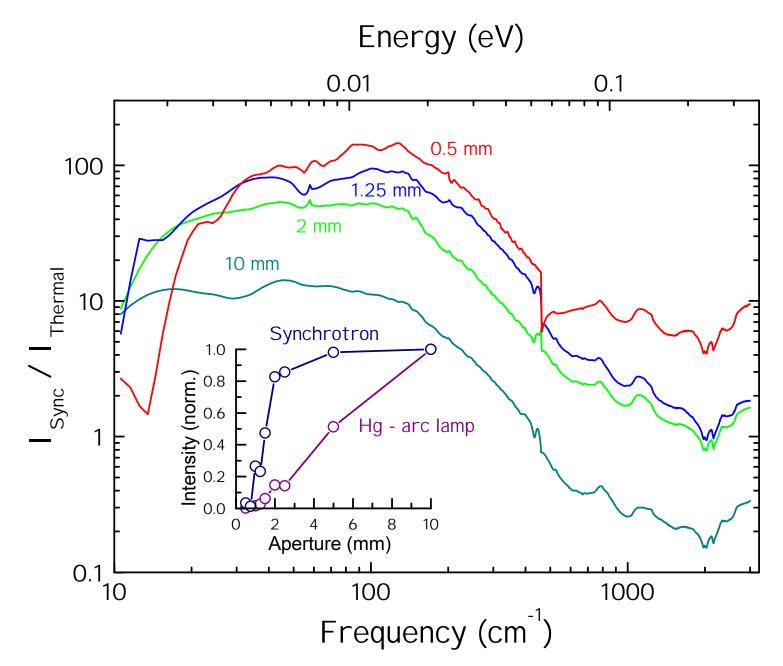






# **Synchrotron & Thermal Sources**







# Signal to noise comparison



Synchrotron radiation allows

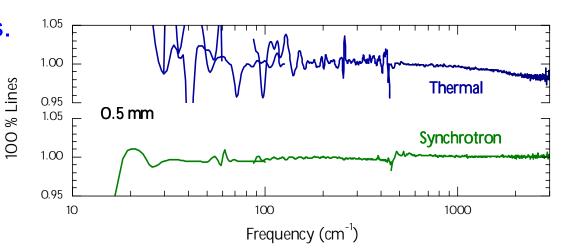
low noise far-IR measurements.

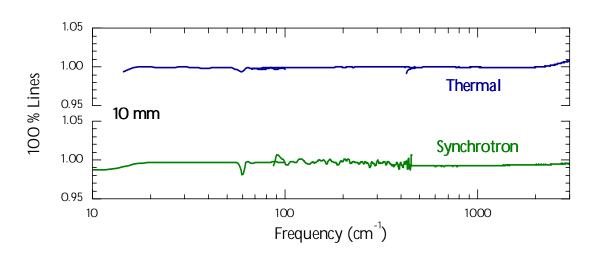
IRSR is diffraction limited.

#### but...

Beam noise has to be taken into account for larger samples.

(Note also the effect of aperture diameter at low frequencies.)



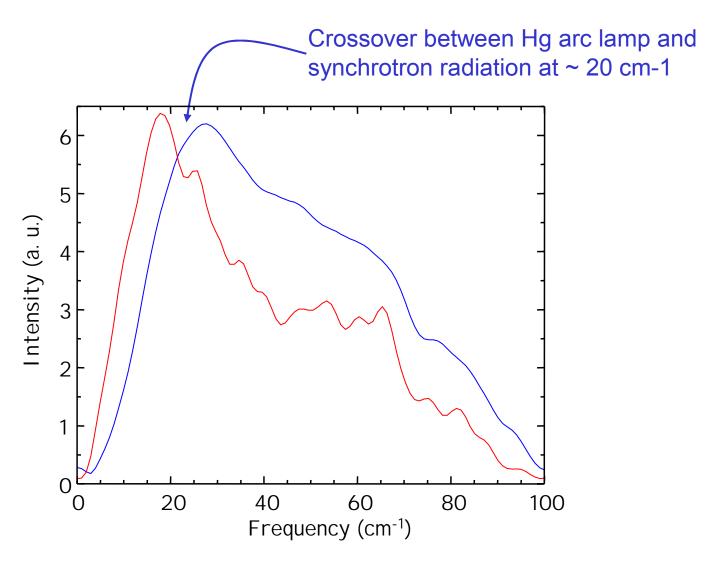




# Synchrotron vs. UA-3 Hg arc



Comparison uses 1/2" aperture, lamellar grating interferometer





#### Notions about design requirements



- 1. Efficient transfer of light from ring to detector
- 2. Spectroscopic approach
- 3. SNR of detector
- 4. Sample temperature range
- 5. Technical noise from ring
- 6. Interference, standing waves



# Notions about design requirements 2

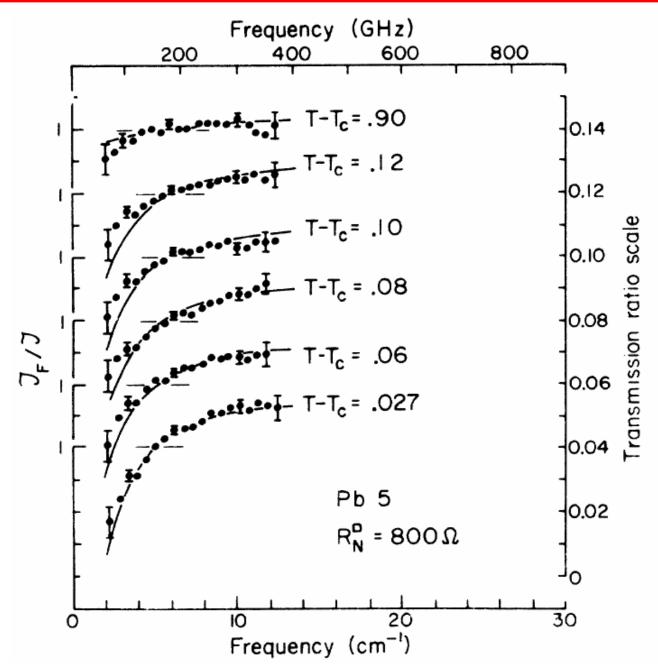


- 1. Efficient transfer of light from ring to detector
- 2. Spectroscopic approach
- 3. SNR of detector
- 4. Sample temperature range
- 5. Technical noise from ring
- 6. Interference, standing waves
- With no sample, transfer 75% of light
- FTS, then R-> KK or R+T or ellipsometery. Magnet, pressure.
- Best detector available, use 0.3 K
- Get *T* < *v*
- Active bunch steering, active beam steering
- Dump reflected beams, aim for low VSWR.



#### 1971 State of the art

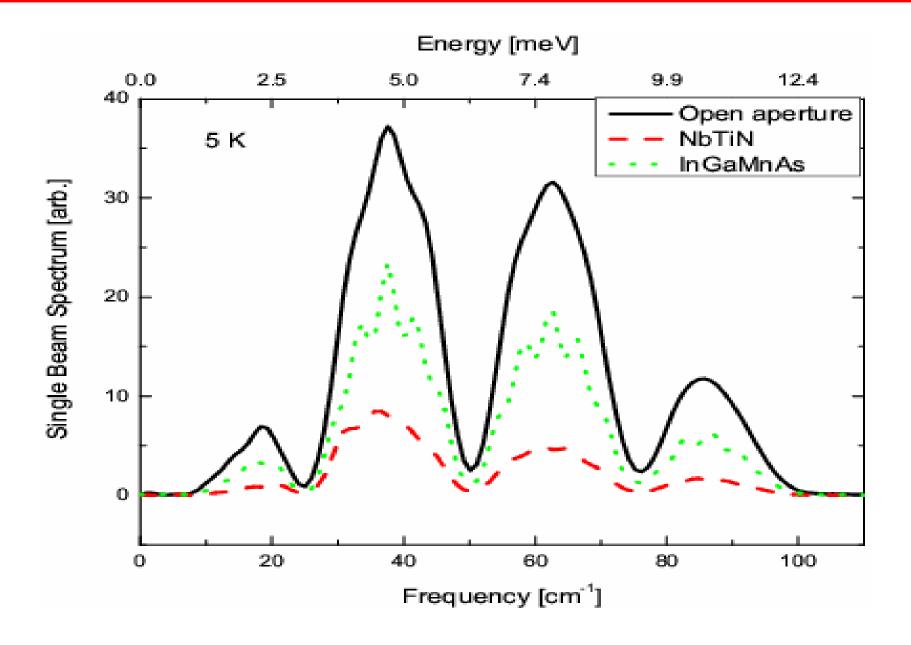






# High pass filter in detector?







#### High pass filter in detector? 2

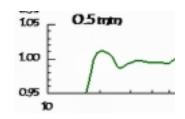


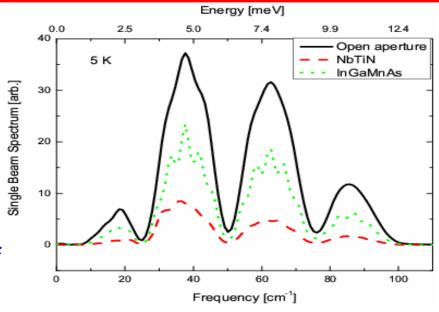
#### Simulated spectrum:

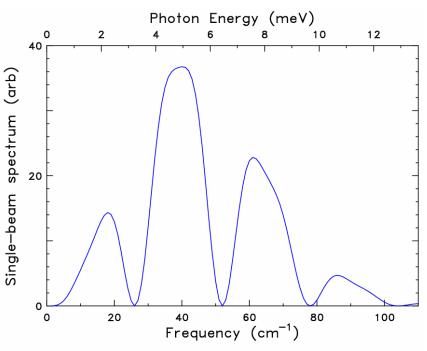
- Mylar beamsplitter, with fringes
- Efficiency  $\varepsilon = 4RT$
- $S(v) \sim v^2$  (Rayleigh-Jeans)
- Long pass filter with 100 cm<sup>-1</sup> cutoff
- $\alpha = Cv^2$

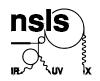
Simulation has *much* more low-frequency energy than what is observed.

(4x at 10 cm<sup>-1</sup>, 12x at 8 cm<sup>-1</sup>)









# Need for lower temperatures

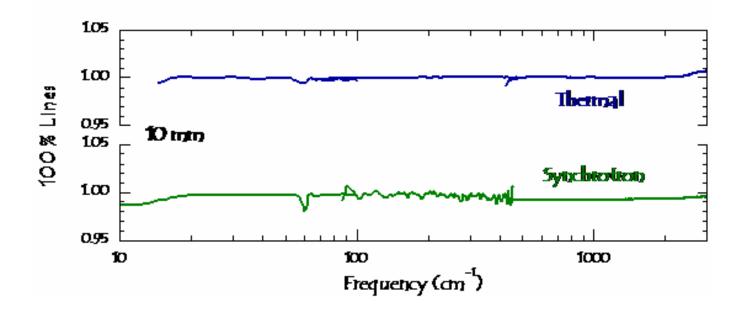


- Take hv = kT. (1 cm<sup>-1</sup>  $\Leftrightarrow$  1.44 K)
- Assume feature of interest is a mean-field gap at 5 cm<sup>-1</sup>.
- Then  $T_c = 2$  K, taking  $2\Delta = 3.5T_c$
- Thus, 200 mK is  $T_c/10$ .
- Options (low-cost to high-cost):
  - Attach sample at bottom of <sup>3</sup>He cryostat for 0.3K detector (e.g., Reedyk, Basov, others)
  - Build <sup>3</sup>He fridge, one shot or recirculating, in Dewar with optical windows.
  - Dil fridge. Cryogen free, easy operation for ~200k.



#### **Beam Jitter**



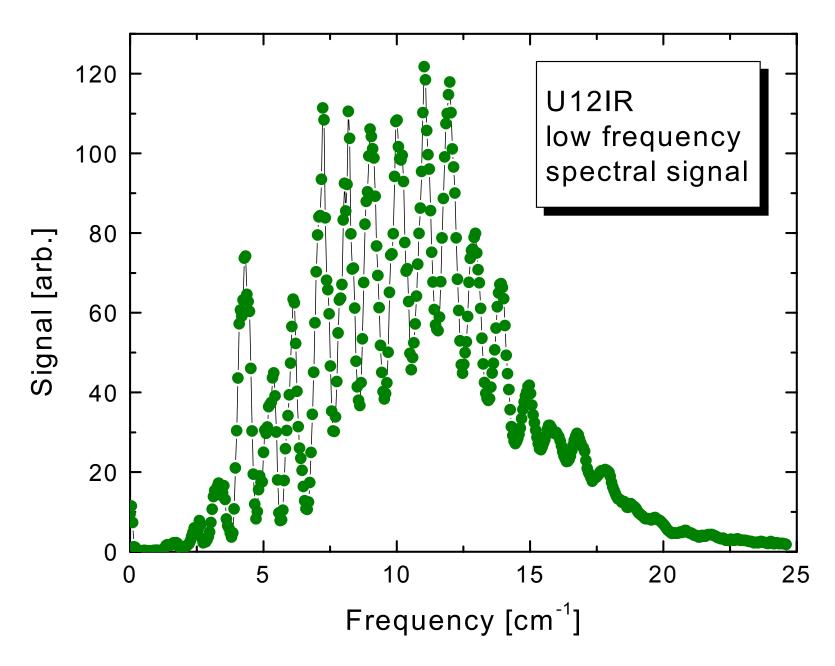


- Need to reduce technical noise from SR.
- Seems to be due to beam jitter
- Use quad photodiodes at conjugate image planes, feed back to steering mirrors (e.g., LIGO)
- Could use beam divider, measure incident intensity, divide
- Throughput requirements would not be met



# **U12IR** fringe pattern



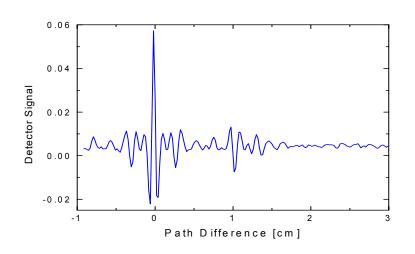


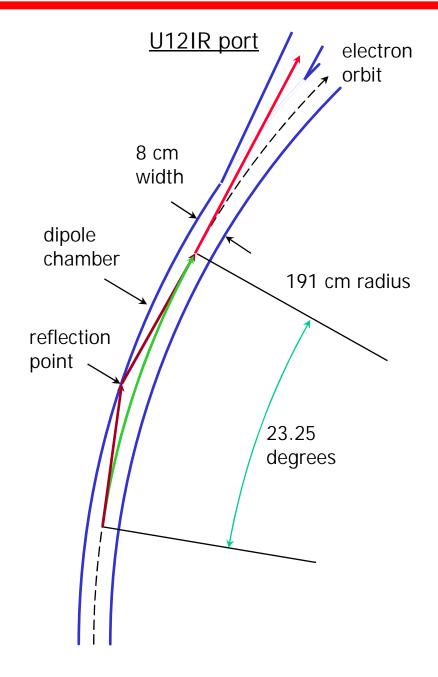


#### "Echo" produced by dipole chamber



- Need to absorb wall reflections
- Light reflected from wall enters interferometer with well-defined phase wrt prompt beam.
- Affected by beam motion, chamber temperature!
- Gives second signature in interferogram.



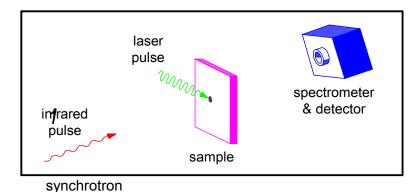


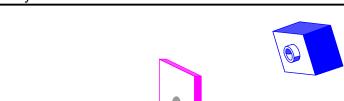


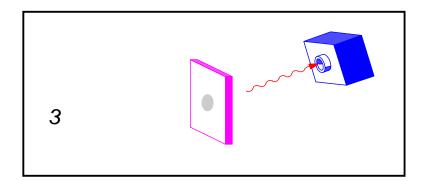
2

#### Time-resolved IR







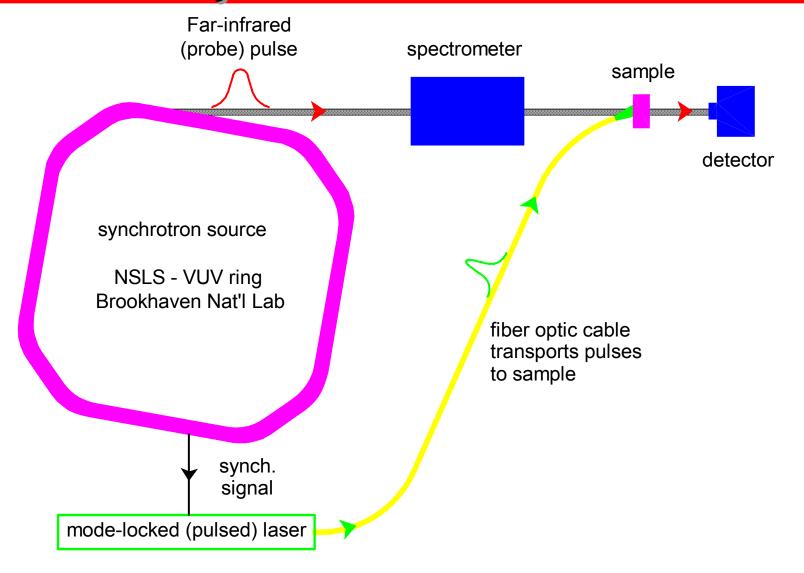


- Laser pulse creates photoexcitations in sample, which subsequently evolve with time.
- 2. After time ∆t, broadband (continuum)IR pulse arrives and is partially absorbed (or reflected) by excitations.
- 3. IR pulse analyzed with a spectrometer, extracting details of excitations at a time  $\Delta t$  after their creation.
- Cycle repeats at high (50 MHz) repetition rate.
- Photoexcitation evolution determined by measuring at a variety of  $\Delta t$ 's.
- Employs "conventional" spectroscopy using high-sensitivity (slow-response) detectors.



# Pump-probe with Laser & Synchrotron Pulses







# Synchronized Ti:sapphire laser



- Coherent mode-locked laser (MIRA 900p) pumped by Verdi green laser
- Tunable (700-1000 nm)
- Frequency doubling capable
- ~ 800 mW average power
- 2 ps pulses
- PRF synchronized to 2x NSLS 53 MHz RF system (VUV or X-ray)
- Pulse selection to match various synchrotron bunch patterns
- Optical fiber delivery to beamline(s).

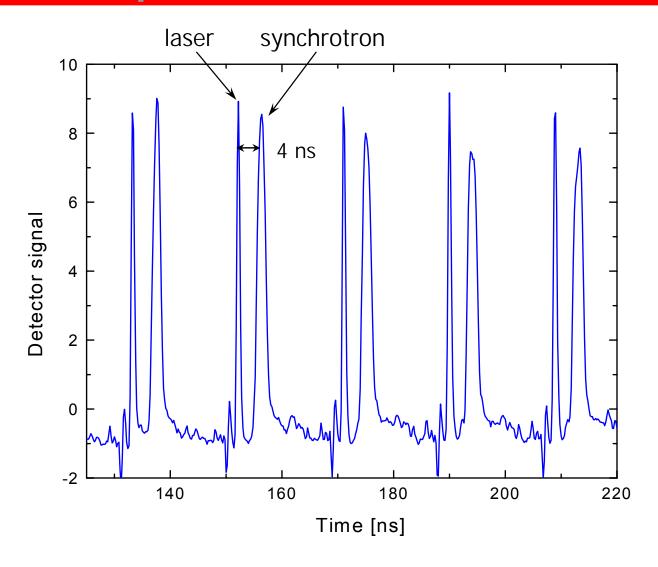






### Pulses at specimen location

- Synchronized laser & storage ring pulses.
- Measured at sample location.
- Ge APD (near IR detector, ~1 ns response).
- Useful for locating "zero" delay point.
   Shown with 4 ns delay.
- Synchrotron pulse length ~300 ps (compressed mode)



 NSLS II: bunch length is 10 ps (ordinary mode)



hν

# Photoexcitation / Relaxation in Superconductors



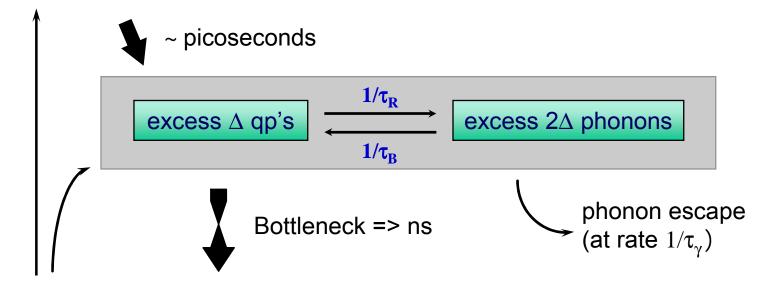
high energy (E~E<sub>F</sub>) electronic excitations (quasiparticles)

excitations (quasiparticles)

• femtoseconds

low energy qp's &  $E_{\text{Debye}}$  phonons

- Multi-step process, with a range of timescales.
- Coupled system of excess quasiparticles and phonons, trapping and effective lifetime.
  - Rothwarf & Taylor



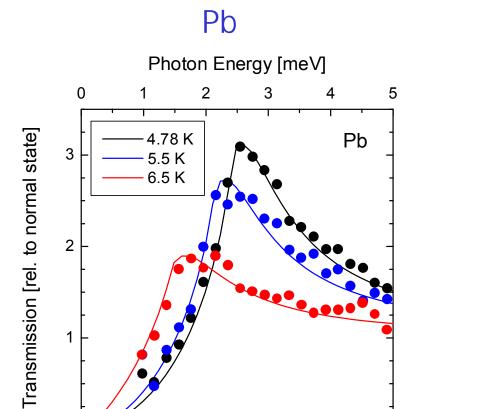
paired electrons & thermal quasiparticles



#### Far-infrared transmittance



### Peak in $T_s / T_n$ is a measure of the superconducting gap



20

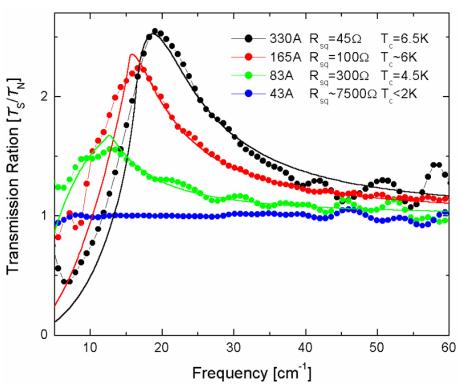
Frequency [cm<sup>-1</sup>]

30

40

10

#### MoGe (at 2 K)

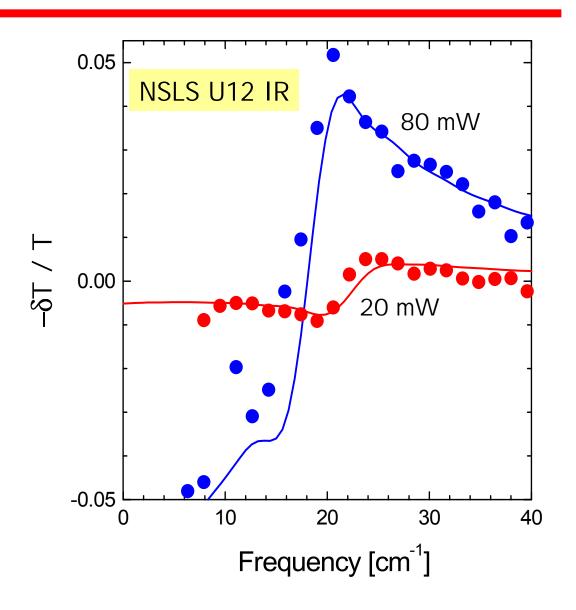


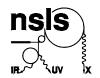


#### **Energy gap shift from pair-breaking**



- Superconducting Pb film on sapphire.
- Experiment (solid circles) & theory fits (sold lines).
- Good agreement
- Gap shift (~ 0.7 cm<sup>-1</sup> or 3%), sensed as change in far IR transmission.
- Density of excess q-p's <2%, comparable to or less than thermal population
- => weak to moderate perturbation





# Time-dependent relaxation measurements



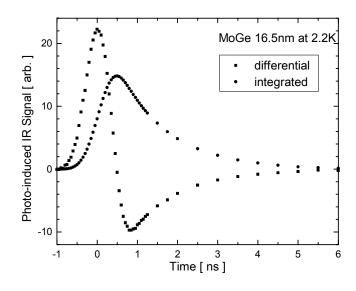
#### • Differential Technique:

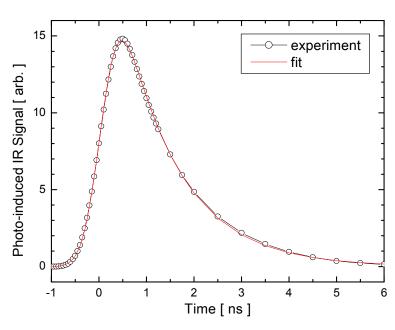
- pump-probe delay "dithered".
- differential transmittance signal (spectral average) for a range of delay time.
- time-dependent relaxation of excess quasiparticles by integration.

#### Relaxation Behavior:

- convolution of simple exponential decay and Gaussian synchrotron pulse.
- decay time ~ 1 ns.
- time-resolution determined by synchrotron pulse width (~300 ps).

$$\Delta T = \frac{1}{2} A \exp\left(\frac{w^2}{4\tau^2} - \frac{t - t_0}{\tau}\right) \left(1 + erf\left(-\frac{w}{\tau} + \frac{t - t_0}{w}\right)\right)$$







# Temperature dependence of relaxation time



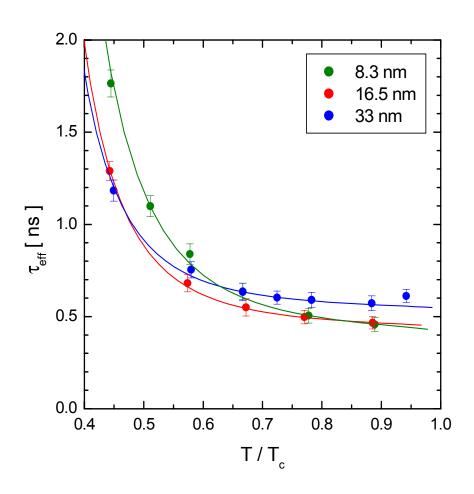
$$\tau_R(0) = (1+\lambda)\hbar/2\pi b \left(kT_c\right)^3$$

$$\tau_{B}(0) = \hbar N_{\Omega} / 4\pi^{2} N(0) \langle \alpha^{2} \rangle_{av} \Delta_{0}$$

Relaxation times for MoGe films:

d [nm]	τ <sub>γ</sub> [ps]	τ <sub>R</sub> (0) [ps]	τ <sub>B</sub> (0) [ps]	$ au_{R}(0)/ au_{B}(0)$
8.3	420	370	105	3.50
16. 5	450	150	79	1.87
33	550	100	75	1.35

$$\tau_{eff} \approx \tau_{\gamma} + (1/2)\tau_{R}(1 + \tau_{\gamma}/\tau_{B})$$





#### Magnetic field

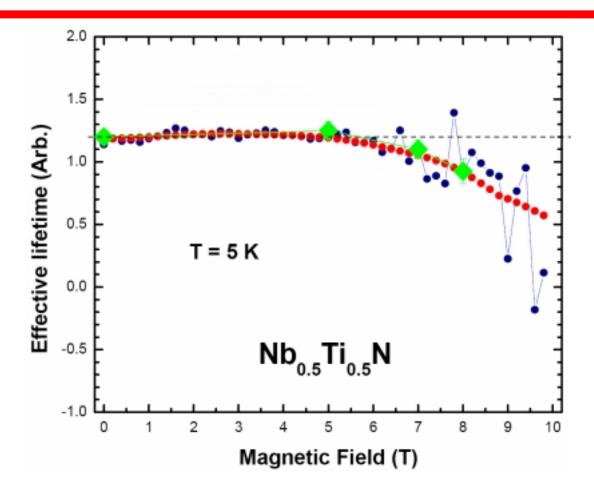


- Apply magnetic field
- Field puts vortex cores in the superconductor
- These give another relaxation channel
- Expect that the relaxation time will decrease with increasing magnetic field
- Follows the area density of vortices?



#### **Relaxation time**





- Minimal field variation up to  $H_{c2}/2$ , a factor of two above that
- Mechanism above that unclear. Gap closes with increased field; this will shorten lifetime.

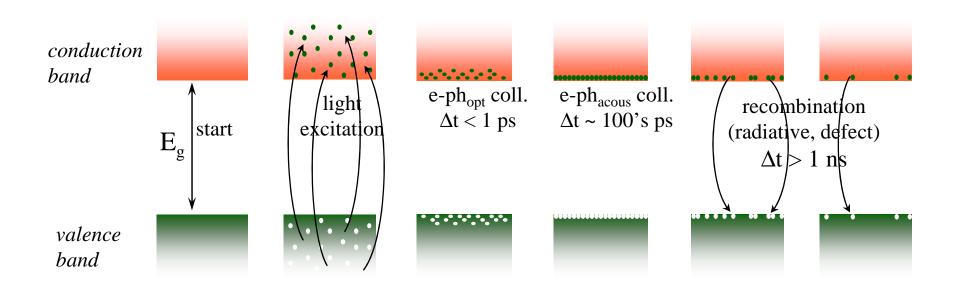


#### Semiconductor Photoexcitation and Relaxation



Undoped semiconductors at low temperatures

time

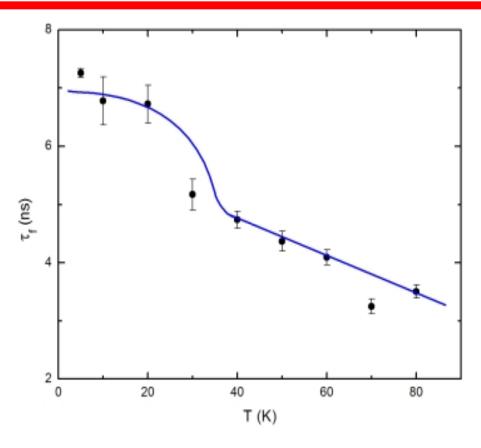


- Far-IR sees the moble free carriers.
- What is the effect of magnetic ordering in DMS?



# **Decay Parameters**





The decay follows

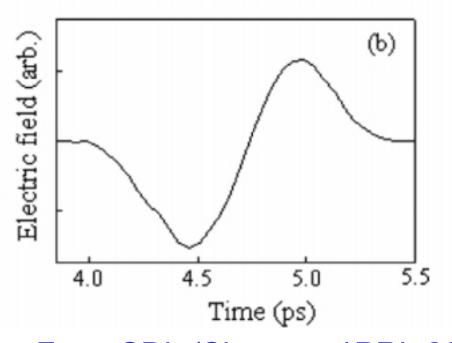
$$S(t) = \frac{A}{T\sqrt{\pi}} \int_{0}^{+\infty} e^{-\frac{t'}{\tau}} e^{-(\frac{t-t'}{T})^{2}} dt'$$

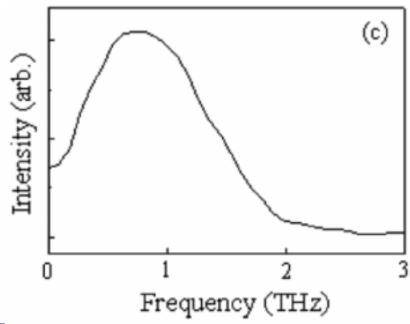
• where S is the measured temporal response, A is the measured signal magnitude, T is the probe pulse width, and  $\tau$  is the effective lifetime.



# Very short, very intense pulses







- From SDL (Shen et al PRL 2007).
- Equivalent to 1 cycle of THz radiation
- E = 0.7 MV/cm
- Leads to very nonlinear phenomena
  - RF current >  $j_c$  in superconductors
  - Hole burning in inhomogeneously broadened transitions
  - Optical rectification in nonlinear materials
  - Domain wall motion in ferroelectrics





# **Summary**



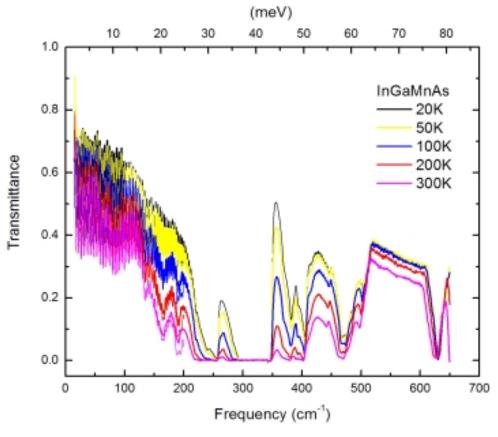
- Synchrotron is a useful source of FIR radiation
  - -High brightness makes it superior to Hg arc in FIR
- Gives opportunities for very far-IR spectroscopy
- Time structure enables pump/probe studies of many materials.
- Unique feature: broad spectral range of probe: FIR—visible
  - -Thanks to DOE, grant DE-FG02-02ER45984 at UF and DE-AC02-98CH10886 at the NSLS

The end



#### **DMS Transmittance**



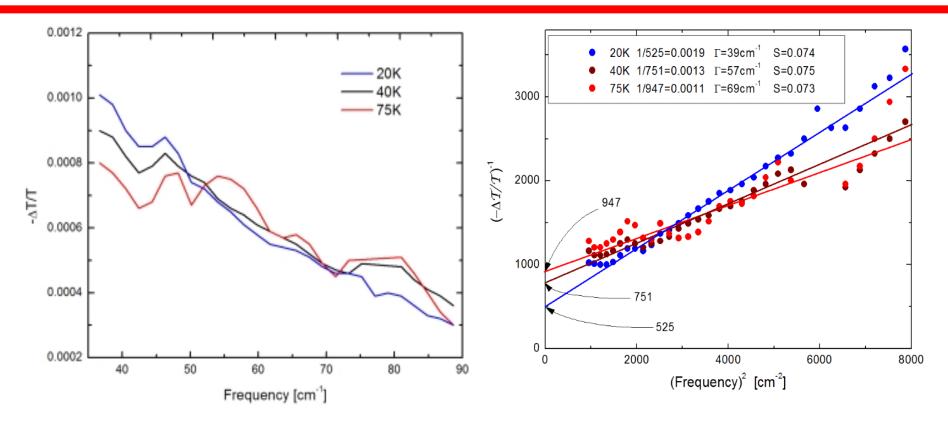


- DMS film: InGaMnAs (50nm) / InGaAs (120nm) / InP(001) (0.4mm)
- ~7.5% Mn doping level
- Ferromagnetically ordered below 40 K



# **Photoinduced Spectroscopy**





- $-\Delta T/T \approx \sigma_1 d = \sigma_{DC} d/(1+\omega^2/\Gamma^2)$ , where  $S = \sigma_{DC} d \times \Gamma = ne^2 d/m$
- The Drude fit predicts a carrier density  $n \sim 7 \times 10^{15}$  cm<sup>-3</sup> per laser pulse.
- An estimate of photoinduced carrier density direct from laser pulse is n  $\sim 5\times10^{15}$  cm<sup>-3</sup>.